Storing and Analyzing Efficiently Big Data at GSI/FAIR

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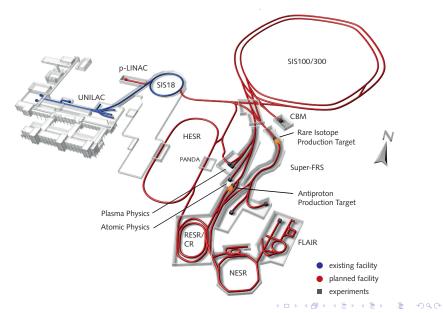
GSI Helmholtz Centre for Heavy Ion Research, HPC

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Overview GSI/FAIR





$\rm I/O$ Requirements for FAIR

New concept:

- No hardware trigger
- Flexible Event Selector:
 - Compute farm calculates "trigger", ca. 60 000 cores only for CBM first level event selector

I/O:

- pprox 1 TByte/sec for Compressed Baryonic Matter (short CBM)
- $\approx 1/2$ TByte/sec for Anti-Proton Annihilation at Darmstadt (short PANDA)

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• additional "smaller" Experiments

I/O Requirements for FAIR (cont.)

 ${\rm I}/{\rm O}$ after first level event selector:

• 1 GByte/sec for CBM

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- 1 GByte/sec for PANDA
- additional "smaller" Experiments

In summary: Massive amount of data needs to be processed and stored.

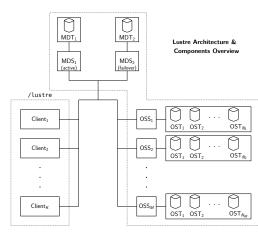






Lustre Overview

- Lustre is a parallel distributed network file system for the domain of HPC
- 70% of the TOP500 supercomputers run Lustre
- POSIX compliant
- Lustre is free software (GPL v2)



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Lustre Deployment at GSI

Current:

- 7000 Disks.
- Raw capacity: 6.2 PByte
- Clients to OSS's: 1.5 TBit/sec I/O.
- OSS's to OSS's: 2.4 TBit/sec I/O.

Exploring and Testing:

- Lustre 2.5 with ZFS back-end file system (software RAID).
- Multiple meta-data (MDT) servers (parallelize meta-data performance).

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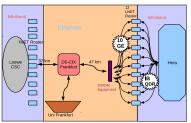
• Modeling and predicting file system "behavior" with probabilistic graphical models.

FAR Highspeed Connections to Partnered Institutes

Current:

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- 12×10 GBit/sec Ethernet with LNET/Lustre.
- Full bandwidth saturation.



TeraLink GSI - LoeweCSC

Long term goal:

- LU-2221 ptlrpc: kerberos support for kernel >= 2.6.24
- LU-2392 kerberos: GSS keyring is broken >= 2.6.29
- LU-2384 kerberos: Support for MIT-kerberos >= 1.8.X is broken
- FAIR Metropolitan HPC System Lustre Storage Kerberos/Lugac FAIR Partners FAIR Partners FAIR Partners Partners

On Big Data

Kryder's Law:

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The density of hard drives increases by a factor of 1000 every 10.5 years (doubling every 13 months).

source: http://en.wikipedia.org/wiki/Mark Kryder

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After Hard Drives-What Comes Next?

Mark H. Kryder and Chang Soo Kim

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There are some rows energing secondule nearces' schedulings, which have been proposed as being capable of rapidlesing hard data which could be the integration of the state o and should set g_{12} be a state of the part of the state of the st are using marketen by an inter one support and more the appear to be brought to market with multiple history and the market with multiple history call. Although there are technologies that are not limited by the lifestranky conduction and thus have needed area done the tend to be further from

Index Terms -- Fenerging alternative nonvolutile memory, hard disk drive, NAND flash

M AGNETICALLY stored hits are theoretically stable in LLs FoPt at densities accroachine 100 Th/n². With drives (HDDs) are far from fundamental limits. The Informafrom the HDD inductry are tarreting a demonstration of an areal density of 10 Th/in2 in 2015. Such a technology would enable over 7 TB to be stored on a single 2.5 inch disk, enabling this technology should be in volume production by 2020.

and are now attempting to move into the computer storage offer lower power consumption. faster read access time, and better mechanical reliability than HDDc however, the cost per gigabyte (GII) for flash memories is nearly 10x that of unted with respect to density, device performance, and likelimagnetic storage. Moreover, flash memories face significant headof success in 2020. These technologies are lated in Table I scaling challenges due to their dependence upon reductions in along with HDDs, DRAM, and NAND Plash, which are inlithographic resolution as well as fundamental physical limita- choiced for comparison purposes. The cell sizes of all memory tions beyond the 22 am process node, such as severe floating technologies in units of minimum gate interference, lower coupling ratio, short channel effects, based upon the Emerging Research Devices (ERD) chapter of and low electron charge in the floating gate. Thus, to replace the 2007 International Technology Roadmap for Semiconduc-HDDs, alternative NVM technologies that can overcome the ton (ITRS), which contains a tabulation of the recent expershorecomings of NAND flash memories and compete on a cost internal values as reported in technical [1]. Also indicated in per TR basis with HDDs must be found.

Manuarity received March 96, 2009. Carront version published September 19, 2009. Concernation author: C. S. Kim to stall channels Parkiew cruz. l bler versions of oce or more of the figures in this paper are available online

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TABLE



Table I is whether the technology has the potential of storing eters such as program energybit, write and read access time and lished technical papers and up-to-date product specifications as well in the ERD chapter of the 2007 ITRS [1]-16]

If hard drives continue to progress at their current pace. then in 2020 a two-disk 2.5-in disk drive can store approximately 40 Tera-Bytes and would cost about \$40.

How about algorithms, are they also scale in such a manner, e.g. multiplying *big* matrices?

On Big Data and Matrix Multiplication

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Run-time complexities big $\ensuremath{\mathcal{O}}$ notation for matrix multiplication algorithms:

Naive example	:	$\mathcal{O}(dim^3)$
Strassen(1969)	:	$\mathcal{O}(\textit{dim}^{2.8074})$
Coppersmith–Winograd(1990)	:	$O(dim^{2.375477})$
Francois Le Gall(2014)	:	$O(dim^{2.3728639})$

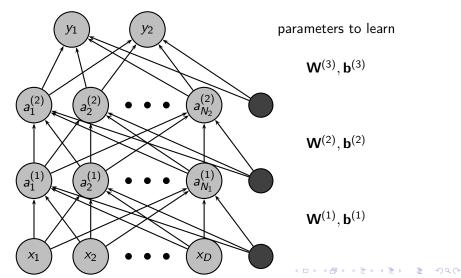
Consider large matrices, e.g. $10^5 \times 10^5$. How do we efficiently multiply those?

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Matrix Multiplication in Neural Networks

Consider the problem of learning (deep) neural networks, which can be *perfectly* formulated in terms of matrix multiplications.

FAIR



FAR Matrix Multiplication in Neural Networks (cont.)

- Activation of neuron: $a_1^{(1)} = f(\mathbf{W}_{1,1}^{(1)}x_1 + \mathbf{W}_{1,2}^{(1)}x_2 + \ldots + \mathbf{W}_{1,D}^{(1)}x_D + \mathbf{b}_1^{(1)})$, where $f(\cdot)$ is some activation function, e.g. f(z) = 1/(1 + exp(-z)).
- Forward-Pass (matrix multiplication, vector addition, element-wise activation function):

$$\mathbf{y} = f(\dots f(\mathbf{W}^{(3)}f(\mathbf{W}^{(2)}f(\mathbf{W}^{(1)}\mathbf{X} + \mathbf{b}^{(1)}) + \mathbf{b}^{(2)}) + \mathbf{b}^{(3)})\dots)$$

• Backward-Pass for updating the parameters (weights) can also be formulated in terms of matrix multiplications.

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• Forward-Pass + Backward-Pass \equiv Back-Propagation Algorithm.

FAR Matrix Multiplication in Neural Networks (cont.)

- Training big and deep neural networks, e.g. 60 million parameters and 650 000 neurons and massive amount of data was infeasible 10 years ago.
- It took months to train big and deep neural networks, moreover one concluded that such neural networks are very prone to *overfitting* and the *gradient vanishing* problem.
- Since the revolution of powerful and cheap GPU's (and proper SDK), big and deep neural networks can be trained in a couple of hours or days.
- State of the art in computer vision (convolution neural network), speech recognition, natural language processing, etc..
- See work of: Geoffrey Hinton, Yann LeCun, Yoshua Bengio, Andrew Ng, and many more.



Summary

- When Kryder's Law still holds in the future, then we will be surrounded by massive amount of data.
- Highly optimized task specific GPU algorithms on very powerful GPU *can* enable to crunch this data.
- Algorithms processing and analyzing the data, ideally scale as well (online and parallized algorithms).

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